



# Verification Refresher Part I

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*2<sup>nd</sup> RFC Verification Workshop, November 18-20 2008*



# What makes a forecast good?

Forecasts should agree with observations, with few large errors

***Accuracy***

Forecast mean should agree with observed mean

***Bias***

Linear relationship between forecasts and observations

***Association***

Forecast should be more accurate than low-skilled reference forecasts (e.g., random chance, persistence, or climatology)

***Skill***



# What makes a forecast good?

Binned forecast values should agree with binned observations (agreement between categories)

***Reliability***

Forecast can discriminate between events & non-events

***Resolution***

Forecast can predict with strong probabilities (i.e., 100% for event, 0% for non-event)

***Sharpness***

Forecast represents the associated uncertainty

***Spread  
(Variability)***



# Standard scalar measures

- **Bias:**  
Forecast mean = observation mean
- **Correlation:**  
Variance shared between forecast and observed ( $r^2$ )  
Says nothing about bias  
or whether forecast variance = observed variance
- **Root Mean Squared Error**  
Distance between forecast and observation values  
Influenced by large errors for large events
- **Mean Absolute Error:**  
Alternative to RMSE  
Corresponds to CRPS for ensembles



# Categorical Statistics

- Contingency table: used to analyze the relationship between 2 categorical variables in a single dataset
- 2x2 contingency table shows categories relative to a single threshold

		Event observed		Total
		Yes	No	
Event forecasted	Yes	a	b	a+b
	No	c	d	c+d
Total		a+c	b+d	a+b+c+d = n

Hits: a  
False Alarms: b  
Misses: c  
True negatives: d

# Categorical Statistics

- Probability of Detection  $POD = a/(a+c)$
- Discrimination - Conditional probability that given the event occurred, it was also forecast to occur
- How often were you not 'surprised'?

		Event observed		Total
		Yes	No	
Event forecasted	Yes	a	b	a+b
	No	c	d	c+d
Total		a+c	b+d	n

Hits: a  
 False Alarms: b  
 Misses: c  
 True negatives: d



# Categorical Statistics

- Probability of False Detection  $POFD = b/(b+d)$
- Discrimination - Conditional probability that given the event did not occur, it was forecast to occur
- False Alarm Rate

		<b>Event observed</b>		<b>Total</b>
		<b>Yes</b>	<b>No</b>	
<b>Event forecasted</b>	<b>Yes</b>	<b>a</b>	<b>b</b>	<b>a+b</b>
	<b>No</b>	<b>c</b>	<b>d</b>	<b>c+d</b>
<b>Total</b>		<b>a+c</b>	<b>b+d</b>	<b>n</b>

Hits: a  
 False Alarms: b  
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# Categorical Statistics

- False Alarm Ratio FAR =  $b/(a+b)$
- Reliability - Conditional probability that given the event was forecast to occur, the event did not occur
- How often were you led astray?

		Event observed		Total
		Yes	No	
Event forecasted	Yes	a	b	a+b
	No	c	d	c+d
Total		a+c	b+d	n

Hits: a

False Alarms: b

Misses: c

True negatives: d







**Questions?**